

Flare energy conversion from direct electric fields due to the sheared magnetic reconnection

T. Hirayama

National Astronomical Observatory of Japan

We propose a new mechanism of the main energy conversion of the solar flare. Because the rising velocity of a flare inducing prominence, or a magnetic flux tube at an early phase of CME is $\leq 300\text{km s}^{-1}$, a continued plasma ejection with Alfvén velocities of 3000km s^{-1} below it may be hindered (obstacle), but perhaps with $V_z \approx 100\text{km s}^{-1}$. This requires discarding the slow shock mechanism.

Adopting reconnection morphology, we assume a magnetic component parallel to the photospheric neutral line, i.e. sheared fields B_y besides vertical antiparallel B_z components. Then Gauss law leads to non-zero electric charges σ : $4\pi\sigma = \mathbf{div}\mathbf{E}_{total} \equiv \mathbf{div}(\mathbf{E}_{\parallel} + \mathbf{E}_{\perp}) = -\mathbf{div}(\mathbf{V} \times \mathbf{B})/c \approx B_y \partial V_z / c \partial x$ ($B_y \approx B_z = 40\text{G}$ and $\delta x \approx 10^3\text{km}$, and $\mathbf{div}\mathbf{E}_{\parallel} = 0$ is ascertained by numerical integration). Field-aligned electric fields \mathbf{E}_{\parallel} far excess of the Dreicer field are expected from Coulomb law with σ , and accelerate electrons and protons. Due to large electric fields, the horizontal Poynting energy flux in area S_x is immediately converted to a kinetic energy of e.g. electron beams along the magnetic field in S_z ; $V_x B^2 S_x / 4\pi = (1/2)m_e n_{beam} V_{beam}^3 S_z$ and e.g. $S_x / S_z \approx 3$. The total flare energy can be supplied by 10keV electrons of $(1/2)m_e V_{beam}^2$ and $n_{beam} = 2 \times 10^7\text{cm}^{-3}$ for $V_x = 40\text{km s}^{-1}$, ensuring the flare short duration. There will be no charge accumulation, nor extra electric currents due to back-streaming majority electrons ($\approx 10^3\text{km s}^{-1}$) which are co-spatial with electron beams ($\approx 10^5\text{km s}^{-1}$) because of $4\pi\mathbf{div}\mathbf{j}/c = \mathbf{div}(\mathbf{rot}\mathbf{B}) = 0$.