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## Accurate adaptive ocean modelling using quadtrees

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Adaptive numerical modelling could provide orders of magnitude improvement to geophysical fluid flow simulations. Recently, much effort has thus been devoted to the extension of classical adaptive techniques – such as finite-elements – to oceanic flows. This has not been without difficulties due to a number of important physical properties of the oceanic system which makes it different from the engineering problems solved using existing adaptive techniques:

- 1. The importance of rotation on large-scale oceanic motion requires a numerical scheme with an accurate representation of geostrophic balance.
- 2. Long-term global energetic and tracer budgets are important. The numerical scheme thus requires good conservation properties.
- 3. Bathymetry/Coastlines need to be accurately represented.

We will present a new finite-volume technique based on a quadtree adaptive discretisation initially developed for incompressible flows in complex geometries [1,2]. Test cases demonstrate the accuracy of the technique for the representation of both geostrophic balance and bathymetry/coastlines. Good energy and tracer conservation properties are also obtained.

The scheme is an extension of the "approximate projection" method to the linear freesurface barotropic equation. We will show that despite being fully-collocated (A-grid), this scheme does not exhibit computational-mode instabilities even in complex, realistic cases. The simplicity of the quadtree discretisation also makes the adaptive part of the scheme very efficient while preserving full flexibility.

[1] Gerris: a tree-based adaptive solver for the incompressible Euler equations in complex geometries. S. Popinet. J. Comput. Phys., 190:572-600, 2003.

[2] The Gerris Flow Solver. S. Popinet. http://gfs.sf.net